Discussion of Behavioral Sticky Prices by Rebelo, Santana and Teles

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A simple beautiful idea

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As a result, **firms** more likely to change prices with inflation (rockets) rather than deflation (feathers).

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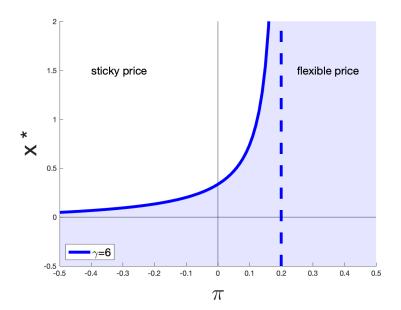
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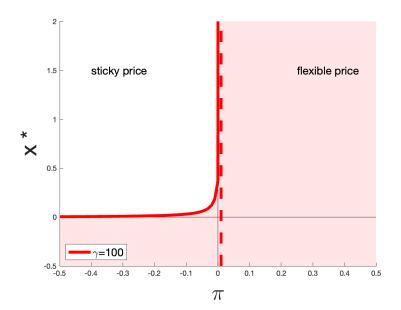
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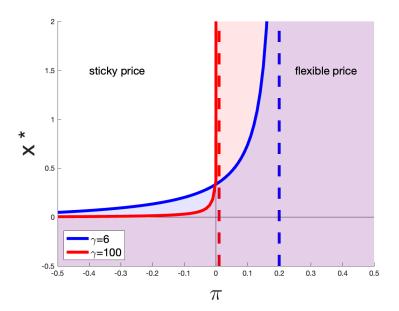
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▶ Denote $x^*(\pi)$ such that $p_{i,t} = \mu$ if and only if $x_{i,t} < x^*(\pi)$.









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- 3 Optimal Policy (in the limit of perfect competition):
 - ▶ high cognitive costs → price stability;
 - ▶ low cognitive costs → inflation better than deflation;

A lot to like

Price-Demand duality.

- Brilliant idea: positive profits at any demand level, but not at any price.
- Prices are used strategically by firms as prices move households' beliefs (more to come).
- Asymmetric theory of price stickiness: does the data like it?
 - Ex. Aggregate markup more strongly countercyclical in deflation rather than in inflation states.
 - Ex. Market concentration makes rockets and feathers phenomenon less pronounced.

Some important elements of non-rationality are central to the normative analysis.

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 - so, too much cognitive costs from the social point of view

Households' mistakes in demand at the variety level are "representative".

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- How the firm may be informed of these mistakes?
 - ▶ I remain uncertain about the timing in a dynamic setting.

Conclusion

A beautiful model of behavioural demand and optimal pricing.